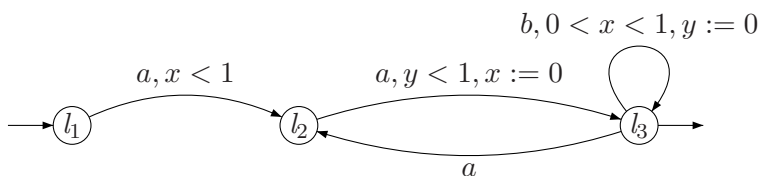


„Real-Timed Automata“ Exercise 3

The following exercises must be submitted 02.06.2014 *before* the lecture.

1. Construct the region automaton for the following timed automaton:



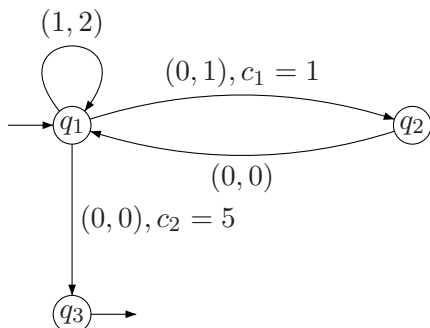
2. Let (ψ, t) be a subset-sum game, where $\psi = \forall\{2, 5\}\exists\{3, 1\}\forall\{1, 0\}\exists\{0, 2\}\forall\{3, 1\}\exists\{0, 2\}$, and $t = 9$.

- (a) Give a play that is winning for the existential player.
- (b) Does the existential player have a winning strategy? If yes, give this strategy. Otherwise, give a counterexample.

3. Prove Lemma 3.13:

If there exists a successful run in $\mathcal{A}_{\mathcal{B}}$, then there exists a computation in \mathcal{B} ending in q_f .

4. Consider the following counter automaton \mathcal{B} :



- (a) \mathcal{B} is not a bounded counter-stack automaton. Why not?
- (b) Add to \mathcal{B} the missing information in such a way that there is some computation in \mathcal{B} ending in q_3 .
- (c) Construct a BOCA \mathcal{B}' that is reachability-equivalent to \mathcal{B} . *Hint: By reachability-equivalent we (informally) mean that for all states q of \mathcal{B} , \mathcal{B} has a computation ending in q if, and only if, \mathcal{B}' has a computation ending in q .*