

# **Modelling Sustainable Systems and Semantic Web Systems and Development**

**Lecture in the Modul 10-202-2309  
for Master Computer Science**

Prof. Dr. Hans-Gert Gräbe

<http://informatik.uni-leipzig.de/~graebe>

## Modelling Systems

Two problems:

- (1) Build new system
- (2) Rebuild existing system

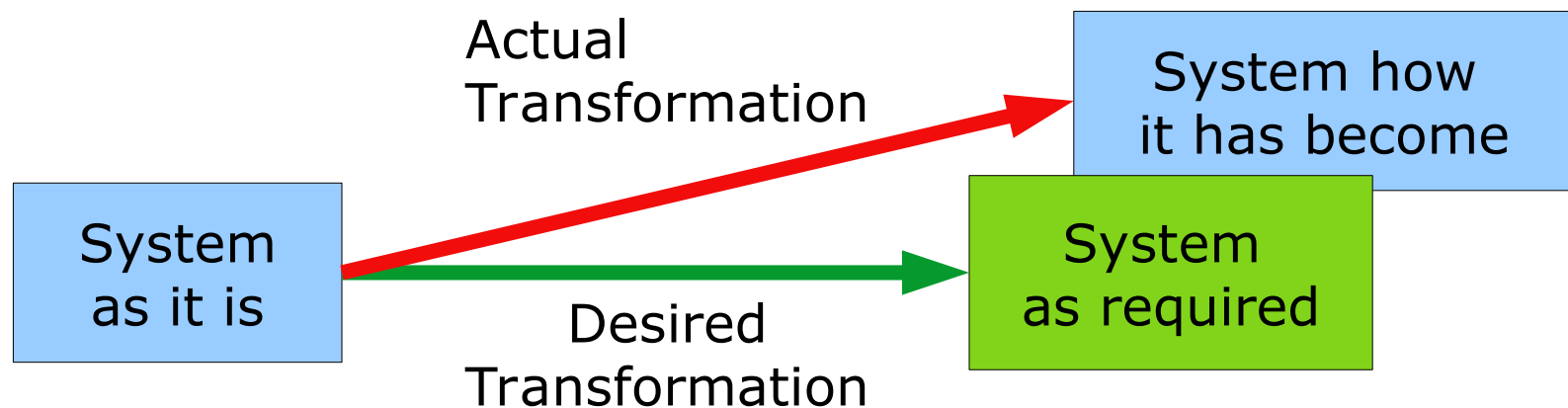
(1) can be considered as a special case of (2), since every need for a new system comes with at least *rough ideas* about that new system, so there is also under (1) an at least *rough description form* of the system to be created.

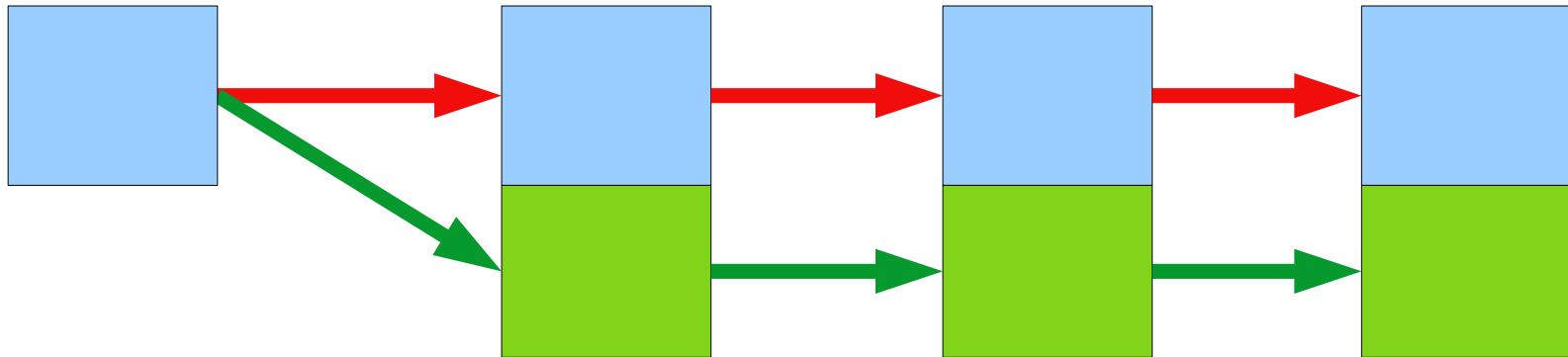


## Modelling Systems

This basic scheme fits not only technical systems, but also the modelling of social, socio-ecological and cultural systems, so it is sufficiently universal.

How does such a system evolve over time?

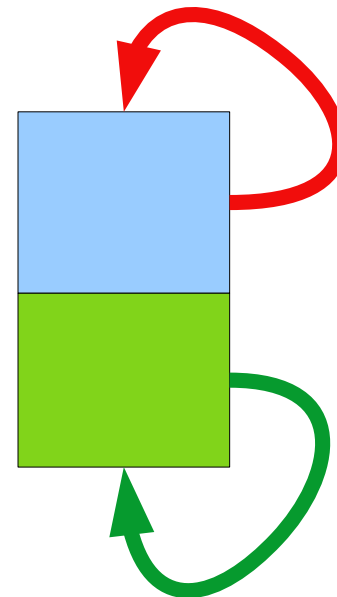




Transitional development as *different versions* of the system over the time.

But can also be understood as development in time of *the same system*.

Transitional management versus adaptive management.

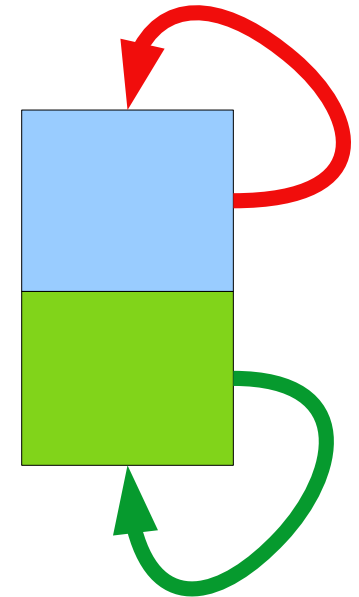


The development of a system can therefore be conceived as a contradiction between an *ideal line of development* and a *real line of development*.

This idea is reflected in the TRIZ concept of the *Ideal Final Result* (IFR).

In the (mathematical) *Theory of Dynamical Systems* (TDS), system development is conceived as a progression of states, which can be described by functions  $f(t)$  with values in a phase space.

The *ideal behaviour* is described by mathematical relationships, such as differential equations, whose invariant solutions describe a partial structure of stable states (*trajectories*) in phase space.



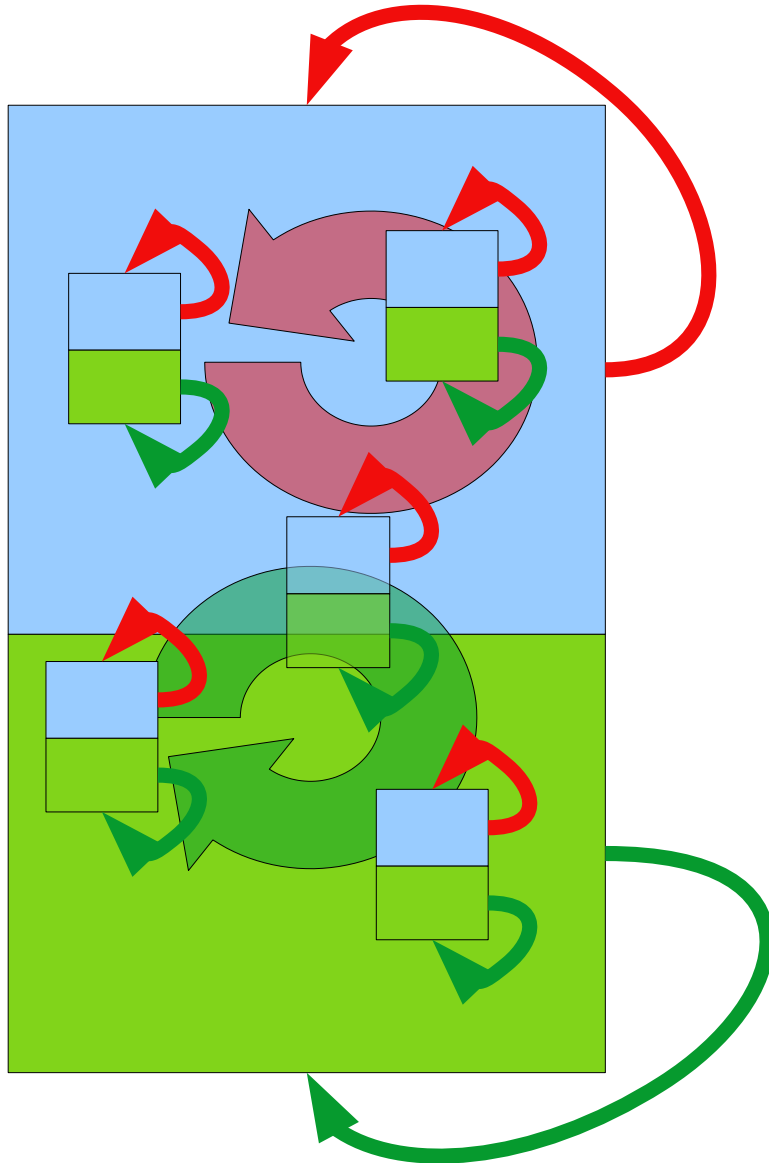
These differential equations and trajectories are part of the *description form of the system* and thus have already been created by *reduction to essentials*.

In the modelling it is assumed that everything essential is taken into account, i.e. that the *real temporal development*  $r(t)$  of the system differs from the *ideal temporal development*  $f(t)$  only by a small difference  $d(t)=r(t)-f(t)$ , which *is insignificant for the selected essential*.

While  $f(t)$  enables a *quantitative prediction* of the development of the system, the statement that  $d(t)$  is "small" or "damped" is a *qualitative statement* of the descriptive form.

Often one also restricts oneself with  $f(t)$  to a *qualitative statement* about the exact position of the trajectories as invariants in the solution space and thus to the statement that  $r(t)$  oscillates around these trajectories in a damped manner. These trajectories seem to "magically" attract the real states and are therefore also called *attractors*.

For example, the Earth moves on an elliptical orbit around the Sun in the sense that real deviations from this orbit are always compensated for.



## Development

- of the system itself
- the components in the system and
- the relationships in the system

However, let us first take a closer look at how complicated trajectories can be.

See TDS.md