The structure of weighted automata on trees and tree-like graphs

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$$L \text{ recognizable by NFA} \qquad \Leftrightarrow \qquad L \text{ definable in MSO}$$

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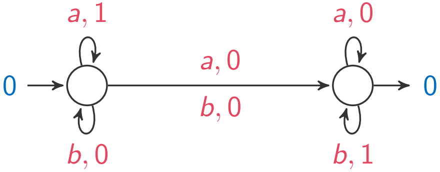

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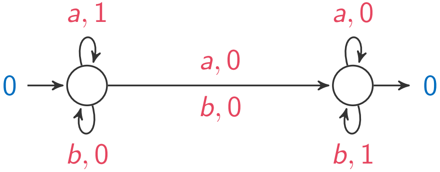

Equivalence

Unambiguity

(Finite) Sequentiality